Worksheets

ABC Secondary School S4 Mathematics Topic: Equations of Straight Lines

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(e) Now use the QR code on the right to access the GeoGebra file, GeoGebra will allow you to plot your graph digitally for the next two tasks. **Question 2:** (a) You currently have \$120 in your Octopus Card, each day you have to spend \$20 commuting from school to your home. You want to tabulate your expenses for the coming 5 days. No. of days passed (d) \$ \$ \$ \$ Remaining balance (*P*) Let d and P be the number of days passed and your Octopus balance respectively. Set an equation outlining the relationship between d and P. (b) Chris is an active YouTuber who constantly uploads new videos daily, he has a healthy sum of 20,000 subscribers. For every video he uploads, he gains 5,000 new subscribers. Complete the table below with the information provided above. No. of new videos uploaded No. of subscribers Try to illustrate this table in coordinates using GeoGebra! i) Chris would like to obtain the Silver Play Button, an award given to a YouTuber who reaches 100,000 subscribers. How many videos would Chris need to upload to obtain the Silver Play Button?

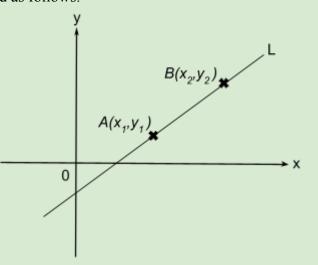
ii) Set an equation outlining the relationship between the number of subscribers of Chris' channel and the number of new videos he uploads <u>after being awarded the Silver Play</u> **Button**.

Slopes of Straight Lines:

The slope of the straight line (L) can be illustrated as follows.

(a) The slope (m) of line L can be found by;

$$m = \frac{y_2 - y_1}{x_2 - x_1}$$



iii) If you were to plot a graph based on your equation in (ii) onto the GeoGebra graphing calculator, what would be the value of the slope (rate of change)? (Recall: Slope = Vertical Distance ÷ Horizontal Distance)

Hint: You can use any two points on the straight line and calculate its slope.

The rate of change (slope) is ______.

An Equation of a Straight Line:

The equation of a straight line looks like this:

$$y = mx + c$$

We can also form something *similar* using this equation.

$$m = \frac{y - y_1}{x - x_1}$$

$$(y - y_1) = m(x - x_1)$$

You can use **any** one of the two points on the **same straight line** to form the equation.

Let's Try

1. Find the equation of the straight line passing through	h Point A (-3, 6) and Point B (1, -8).
	Hints
	Step 1: Calculate the slope of the two points using the formula below.
	Step 2: Derive the Equation of the straight line using the same formula. $m = \frac{y - y_1}{x - x_1}$
	(where m is the slope)
2. Find the equation of the straight line passing through	h origin and Point C (8, -4).
Multiple Choice Questions (MCQs)	
 1. A straight line is parallel to the x-axis, which of the followstraight line? A. 10y = 10x + 10 	owing is representative of the equation of its
B. $y = -x$ C. $2y = -2$ D. $y = -2x - 9$	
 2. A straight line has a slope of -3. Which of the following equation? A. y = 5x + 3 	equations is CORRECT to represent its
B. $y = -6x - 3$ C. $y = -3x$	
D. $2y = -8x - 3$	

Point-Slope Form vs. Slope-Intercept Form

We know that we can find the equation of a straight line using the slope formula:

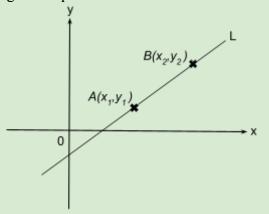
By converting the formula to find slope, we can

$$m = \frac{y_2 - y_1}{x_2 - x_1}$$

turn it into something like this:

$$m = \frac{y - y_1}{x - x_1}$$

$$(y - y_1) = m(x - x_1)$$



Look back at question 2(b), we have found an equation of a straight line as stated in 2b(ii). Now use GeoGebra to look at the equation, you need to zoom out to see the values, click on the line to check the x and y intercepts

What can we notice on GeoGebra? List it out in the following table!

The <i>x</i> -intercept: (Root)	
The <i>y</i> -intercept:	

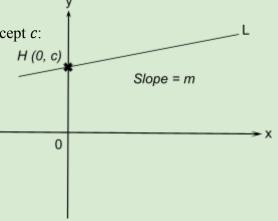
Slope-Intercept Form

The equation of a straight line is given by slope (m) and y-intercept c:

$$y = mx + c$$

Using the figure on the right as an example. We can say that the equation of line (L) can be written as;

$$y = mx + c$$



Let's Try

1. Find the equation of the straight line passing through Point A (-3, 6) and Point B (1, -8).

Hints

Step 1:

Use the formula

$$y = mx + c$$

where m is the slope and c is the y-intercept.

A general form of the equation of a straight line is expressed in the form below.

$$Ax + By + C = 0$$

A, B and C are all constants and A and B are both non-zero. This is the **general form** of the equation of a straight line.

Let's Try

1. Convert the following equations of straight lines into the general form.

(a)	у	=	3 <i>x</i>	_	2
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(b)
$$2y = -8x - 3$$

(c)
$$y = \frac{3}{5}x - 15$$

2. Can you list out the following items just by looking at the original equation?

Slope:

Slope:

Slope:

y-intercept:

y-intercept:

y-intercept:

Multiple Choice Questions (MCQs)

1. Which one of these is the equation of the straight line passing through $A(2\,$, 3), $B(0\,$, 4)?

$$A. \qquad x - y + 4 = 0$$

B.
$$y = -x + 3$$

C.
$$x - y + 2 = 0$$

D.
$$x + 2y - 4 = 0$$



2. A(-4, 1) and B(3, 5) are points on a straight line L. Find the slope of L.

A.
$$-\frac{7}{2}$$

B.
$$\frac{2}{7}$$

C.
$$\frac{7}{2}$$

D.
$$-\frac{2}{7}$$



How to use GeoGebra Template

(https://www.geogebra.org/calculator/j4s47sn9)

